Article

AI-Powered Software Testing for Heterogeneous Fleet Vehicle Routing Optimization with Time Constraints

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Abstract: The Vehicle Routing Problem (VRP) is crucial in logistics, transportation, and distribution. Traditional VRP focuses on optimizing vehicle routes between a fixed starting point and multiple locations to minimize travel distance or time. However, these models perform inadequately in dynamic environments such as campus student path planning, which involve diverse movement patterns and time window constraints. This paper addresses campus student path planning as a Heterogeneous Fleet Vehicle Routing Problem with Time Windows (HFVRPTW) and introduces the Scooter-Aware Pathfinding with Time Windows (SAPTW) method. Students start from random points and navigate a grid-based campus to fixed destinations like dormitories and cafeterias, choosing either walking or using electric scooters available at specific locations. This study tackles key challenges including diverse movement modes, time windows for reaching destinations, automatic generation of campus maps, and random generation of student starting points and destinations. Additionally, ensuring AI-powered software testing, we developed the Grid-based Campus Map Randomized Generation (GMRG) method, a rule-based approach for creating grid maps with roads, obstacles, and specific buildings. This method provides a realistic and controlled environment for route planning tests and simulations, ensuring the robustness and reliability of the proposed solution in real-world applications. Our approach highlights the potential of integrating artificial intelligence with software testing to optimize complex routing problems with time constraints. Simulation results demonstrate that SAPTW significantly enhances student arrival efficiency, reducing average arrival time by approximately 3% to 44% compared to traditional methods.

Keywords: campus path planning; dynamic environments; time windows; Vehicle Routing Problem

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1. Introduction

Vehicle Routing Problem (VRP) aim at obtaining the lowest cost, time or distance. For this purpose, many VRP variants and solution methods have been developed, such as Vehicle Routing Problem with Time Window (VRPTW) and Heterogeneous Fleet Vehicle Routing Problem (HFVRP) [1-4]. Adaptive large-neighborhood search and artificial intelligence have significantly improved VRP solutions [5,6]. There is also growing interest in combining VRP with self-driving cars and real-time data analytics [7,8]. Small-scale problems for VRP can be solved using branch-and-bound algorithms, dynamic programming algorithms, and integer linear programming algorithms, Large-scale problems can be optimized using genetic algorithms, simulated annealing, tabu search, and ant colony optimization, and AI can help optimize routes [9-17]. Migration learning and adaptive algorithms enable knowledge transfer between VRP scenarios and real-time model tuning [18-20].

Despite significant advances in AI in the field of VRP, the diversity of data sources affects the performance of algorithms, and the deployment of learning models and algorithm integration is more complex to effectively adapt to real-time changes and dynamic conditions in VRP.

For this reason, we use a combination of artificial intelligence and software testing to provide effective path optimization solutions for multiple motion patterns and time windows.

The main contributions of this paper are as follows:

Provides the SAPTW approach, a new vehicle routing model that combines multiple student movement patterns (walking and riding motorized vehicles) and time window constraints, which handles complex movement patterns and time constraints in a dynamic campus environment.

Provides a grid and rule-based Campus Map Random Generation (GMRG) methodology, which creates gridded maps containing roads, obstacles, and specific buildings.

Extensive simulation experiments demonstrated the effectiveness of our method. Results showed that route planning considering scooter pickup significantly improved efficiency, reducing average travel time by approximately 3% to 44%.

2. Related Work

Vehicle Routing Problems (VRP) face challenges in dynamic and uncertain environments. Recent research has explored various machine learning (ML) and deep reinforcement learning (DRL) methods for dynamic path planning. This section focuses on deep learning-based approaches and traditional optimization algorithms.

2.1. Deep Learning-Based Approaches

Deep Learning (DL) methods solve VRP problems by leveraging their ability to model complex relationships within data.

Reinforcement Learning (RL) is highly adaptable to dynamic environments by learning and improving from real-time feedback.

Hybrid methods that combine RL and DL have advantages when dealing with VRP problems in real time.

2.2. Traditional Optimization Algorithms

Traditional optimization algorithms are still crucial in VRPs. Okulewicz et al studied optimization algorithms for dynamic VRPs with real-time data integration [21]. Hutter et al proposed parametric algorithms for VRPs, however, traditional methods are not able to adapt to rapidly changing conditions in real-time [22].

Methods using artificial intelligence present significant advantages in terms of adaptability and performance in dynamic and stochastic environments. Shahbazian et al discussed deep learning methods for real-time VRP optimization [23].

3. Scooter-Aware Pathfinding with Time Windows Methodology

Our model is composed of the way students move on campus combined with the time window constraints of path planning, an abstraction that extends the traditional VRP model for dealing with complex movement patterns and time constraints. We address the problem of pathfinding in a grid-based environment where agents, such as students, can optionally acquire scooters to travel faster. The challenge involves optimizing the travel time considering the acquisition time of scooters and navigating obstacles.

3.1. Problem Formulation

The environment is represented as a grid of size $N \times N$, where each cell can either be an obstacle, free space, or a scooter storage location. The agents start at a given position s and aim to reach a specific goal position g. Agents can either walk or ride a scooter, with

walking and riding speeds defined as v_w and v_s respectively. The objective is to find the shortest path considering both travel and scooter acquisition times.

3.2. Our Saptw Algorithm for Hfvrptw

To solve the heterogeneous fleet vehicle routing problem with time windows (HFVRPTW), We propose a scooter-aware pathfinding with time windows (SAPTW) algorithm that considers the time to acquire a scooter. The algorithm maintains a priority queue of states, each state represented as a tuple (f, p, h), where f is the estimated total cost from the start to the goal through the given state, p is the current position, and h is a boolean indicating whether the agent has a scooter.

3.3. Algorithm Detailed Steps

Algorithm 1 demonstrates the computation of SAPTW, and the following are its detailed steps:

Algorithm 1 Scooter-Aware Pathfinding with Time Windows Algorithm

```
Require: s (start), g (goal)
Ensure: Path from s to g
       Initialize 0 \leftarrow \{(0, s, False)\}
                                                                                          {Open set}
       Initialize C \leftarrow \emptyset
2:
                                                                                                         {Came from}
3:
       Initialize g_{score} \leftarrow \{(s, False) \mapsto 0\}
4:
       Initialize f_{score} \leftarrow \{(s, False) \mapsto d(s, g)\}
                                                                       {Estimated cost function}
5:
       while not 0 = \emptyset
                                       do
          (f, p, h) \leftarrow pop min(0)
6:
                                                                  {State with lowest f}
7:
           if p=g then
8:
                  return reconstruct path(C, (p, h))
9:
         end if
       for each n in neighbors (p) do
10:
11:
             h' \leftarrow h \lor is\_scooter\_storage(n)
                                                                 {Update scooter status}
12:
              t_g \leftarrow g_{score}[(p, h)] + 1
                                                                            {Tentative gscore}
              v \leftarrow \begin{cases} v_s & \text{if } h' \\ v_w & \text{otherwise} \end{cases}
13:
                                                                                    {Travel
                                                                                                     speed}
              if h = False then
14:
                     c \leftarrow \min_{s' \in S} \left( \frac{d(n,s')}{v_w} + \frac{d(s',g)}{v_s} \right)
15:
                                                                           {Cost to nearest scooter storage}
16:
              else
17:
                                                                                      {Direct cost to goal}
              end if
18:
              \textbf{if} \quad (n,\,h') \not\in g_{\mathrm{score}} \lor t\_g \negthinspace < \negthinspace g_{\mathrm{score}}[(n,\,h')] \quad \textbf{Then}
19:
                     g_{score}[(n,h')] \leftarrow t\_g
20:
21:
                   f_{\text{score}}[(n, h')] \leftarrow g_{\text{score}}[(n, h')] + c
22:
                     \mathbf{push}(O,(f_{score}[(n,h')],n,h'))
23:
                    C[(n,h')] \leftarrow (p,h)
24:
              end if
25: end for
26:end while
27:return Ø
```

4. Grid-Based Campus Map Randomized Generation Methodology

Traditional methods are difficult to effectively address the problem of optimizing student paths in grid-based campus environments, especially when considering multiple movement patterns, obstacles, and the need to efficiently plan routes. this paper introduces the Grid-based Campus Map Randomized Generation (GMRG) method, to generate campus maps with various basic elements (e.g., destinations, obstacles, scooter storage areas, and student activity areas) and ensure that these elements do not overlap within buffer distances.

We start by defining the grid size and constants used throughout the generation process. These constants include the number of destinations (N_d), obstacles (N_o), scooter storage regions (N_s), and student generation areas (N_g), as well as proximity buffers and size constraints for the various regions. Algorithm 3 below demonstrates the computational process of GMRG.

To ensure no regions overlap, we use a function $\mathcal{F}_{overlapping}$ to check if a given region R overlaps with any regions in the set \mathcal{R} within a specified buffer distance δ .Main input parameters include:

R: The region to be checked, represented as $(x_{min}, y_{min}, x_{max}, y_{max})$.

 \mathcal{R} : A set of regions, Each element represented as $(x'_{min}, y'_{min}, x'_{max}, y'_{max})$.

Algorithm 2 demonstrates how $\mathcal{F}_{overlapping}$, works, and the following are its detailed steps:

Algorithm 2 Check Overlapping Region with Buffer

```
Require: R = (x_{\min}, y_{\min}, x_{\max}, y_{\max}), \mathcal{R}, δ
Ensure: True if R overlaps with any region in \mathcal{R} within buffer δ, False otherwise 1: for all R' in R do 2: (x'_{\min}, y'_{\min}, x'_{\max}, y'_{\max}) \leftarrow R' 3: if (x_{\min} - \delta < x'_{\max} < x_{\max}) and (y_{\min} - \delta < y'_{\max} < y_{\max} + \delta) then 4: return True 5: end if 6:end for 7:return False
```

The overall algorithm for the GMRG algorithm (as shown in Algorithm 3) aims to generate a grid-based campus map comprising destinations (D), obstacles (O), scooter storage regions (S), student generation areas (G), and student positions (P). Initialization begins with empty sets for these elements.

Algorithm 3 GMRG Algorithm

```
Require: G, N_d, N_o, N_s, N_g, N_p, \delta, a_{min}, a_{max}
Ensure: Map configuration
         Initialize \mathcal{D} \leftarrow [], \mathcal{O} \leftarrow [], \mathcal{S} \leftarrow [], \mathcal{G} \leftarrow [], \mathcal{P} \leftarrow []
1:
2:
         while |\mathcal{D}| < N_d do
3:
                Generate (x,y)
4:
                if not \mathcal{F}_{overlapping} ((x - \delta, y - \delta, x + \delta, y + \delta), \mathcal{D}) then
                      \mathcal{D} \leftarrow \mathcal{D} \cup \{(x,y)\}
5:
                end if
6:
7:
         end while
8:
         while |\mathcal{O}| < N_o do
9:
              Generate R
10:
            if not \mathcal{F}_{overlapping} (R, \mathcal{O}) and not \mathcal{F}_{overlapping} (R, \mathcal{D}) then
```

```
11:
                            \mathcal{O} \leftarrow \mathcal{O} \cup \{R\}
       12:
                   end if
       13:
               end while
       14:
               while
                             |\mathcal{S}| < N_s
                                             do
       15:
                       Generate
                        if not
       16:
                                         \mathcal{F}_{overlapping} (R, S) and not \mathcal{F}_{overlapping} (R, O) and not
\mathcal{F}_{overlapping}(\mathbf{R}, \mathcal{D})
                                 then
       17:
                            S \leftarrow S \cup \{R\}
       18:
                       end if
       19:
                 end while
                 while |\mathcal{G}| < N_g
       20:
                                             do
       21:
                       Generate R
       22:
                       if not \mathcal{F}_{overlapping} (R, \mathcal{G}) and
                                                                                  not \mathcal{F}_{overlapping} (R, \mathcal{O}) and not
\mathcal{F}_{overlapping} (R, \mathcal{D}) and not
                                                    \mathcal{F}_{overlapping} (R, S)
       then
       23:
                                   \mathcal{G} \leftarrow \mathcal{G} \cup \{R\}
       24:
                       end if
       25:
               end while
               while |\mathcal{P}| < N_p do
       26:
       27:
                     Generate (x,y)
       28:
                              not \mathcal{F}_{obstacle}((x, y), \mathcal{O}) then
       29:
                                \mathcal{P} \leftarrow \mathcal{P} \cup \{(x,y)\}
       30:
                     end if
       31:
               end while
               Save \mathcal{D}, \mathcal{O}, \mathcal{S}, \mathcal{G}, \mathcal{P} to map configuration
```

5. Experiments

This paper comprehensively evaluates the path planning performance of each algorithm in complex campus environments through experiments and evaluation metrics, and verifies the effectiveness of the proposed method.

5.1. Baselines

In the context of Vehicle Routing Problem (VRP), several baseline methods include: Uniform Cost Search (UCS), Depth-First Search (DFS), Breadth-First Search (BFS), Dijkstra's Algorithm, Bidirectional Search, and A* Algorithm.

5.2. Overall Experiments

In the overall experiments (see below Table 1), our primary goal is to validate the effectiveness and performance of the proposed method across different scenarios, especially considering diverse modes of transportation and the impact of time windows on path planning efficiency.

Table 1. Performance Comparison of Different Path Planning Methods on Various Maps.

Map Parameters	Method	Total Path Distance (meters)	Average Arrival Time (seconds)	Average Speed meter/second	Percentage of Students with Scooter(%)
Grid Size:	UCS	217.4385	295.171	1.09	18.0
	Dijkstra	225.0817	283.2081	1.26	20.0
500 Obstacles: 15	Bidirectiona 1 A*	242.1616	293.3622	1.09	18.0

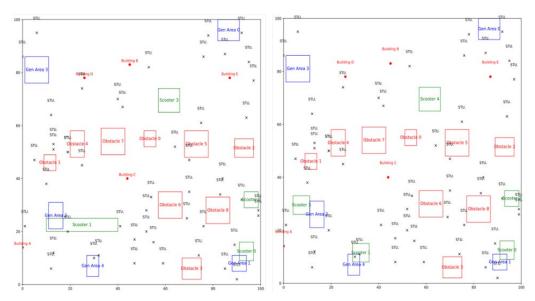
Scooter					
Storage: 5	SAPTW	200 2500	274 7574	1 (1	42.0
Generation	(Ours)	308.2508	274.7574	1.64	42.0
Areas: 10					
Grid Size:	UCS	101.6957	184.1253	0.72	16.0
100	Dijkstra	109.0261	198.8643	0.76	10.0
Obstacles: 5 Bidirectiona		114.8945	201.382	0.72	16.0
Scooter	1 A*	114.0945	201.362	0.72	10.0
Storage: 5	SAPTW	138.6231	112.7899	1.53	100.0
Generation	(Ours)				
Areas: 5	(Ours)				
Grid Size: 50	UCS	57.6759	92.1349	1.09	26.0
Obstacles: 5	Dijkstra	61.7015	79.9816	1.32	38.0
Scooter	Bidirectiona	57.7847	90.049	1.13	32.0
Storage: 5	1 A*	37.7047			
Generation	SAPTW	67.6651	44.132	2.01	98.0
Areas: 5	(Ours)	07.0001	44.102		

The experimental setup consists of simulating a 500×500 grid campus environment with roads, obstacles, and specific buildings (e.g., dormitories, classrooms, scooter storage). By configuring multiple student groups of different sizes (e.g., 50, 100, 200) and randomly assigning start and end points to cover different campus areas. The grid size, obstacles, storage areas, Generation Areas, and Number of students can be dynamically varied, and the experiment reflects the complexity of the real world.

Regarding transportation modes, students can either walk or use electric scooters, each with predefined speeds (1.5"m/s" for walking, 6"m/s" for scooters). To increase complexity, students must arrive at their destinations within specified time windows, e.g., with an upper limit of 30 minutes. Evaluation metrics include average arrival times, path lengths, and scooter utilization, providing comprehensive insights into the method's performance under diverse transportation modes and time window restrictions. We additionally present the optimization results of different methods for 5 destinations when the grid size is 500. The results from Tables 1 show that our method SAPTW excels in speed, with the highest efficiency, making it ideal for rapid pathfinding.

5.3. Visualization of Generated Maps

In this paper, we have developed a rule-based method for automatic map generation and conducted a large number of simulations. The results validate the effectiveness of our algorithm in handling HFVRPTW, where the average arrival time of students is reduced by 3% to 44% during the simulations in Figure 1. With the use of scooters, the average time is reduced by 10.04%, and these visualizations support practical applications in terms of related optimization and overall efficiency while demonstrating the optimal path.



(a) Map before optimizing scooter storage areas. (b) Map after optimizing scooter storage areas.

Figure 1. Comparison of Campus Maps before and after Optimizing Scooter Storage Areas.

6. Conclusion and Future Work

6.1. Summary

This paper introduces a novel solution for optimizing paths in campus environments, considering multiple movement modes and time windows, particularly focusing on campus student path planning within the framework of the Heterogeneous Fleet Vehicle Routing Problem with Time Windows (HFVRPTW). The SAPTW method is proposed to optimize routes for students navigating grid-based campuses, allowing them to choose between walking and using electric scooters available at designated locations. The study demonstrates that integrating scooter availability significantly improves path efficiency, reducing average student travel times by approximately 3% to 44% compared to conventional methods.

Moreover, the paper underscores the potential of combining artificial intelligence with software testing to tackle complex routing problems under time constraints. It highlights the relevance of adaptive and real-time path-planning solutions in modern campus logistics and transportation management. Given the increasing complexity and diversity of student needs on campuses, traditional static path planning approaches often fall short. The SAPTW method offers a scalable and robust alternative capable of addressing the dynamic and heterogeneous nature of campus transportation systems.

6.2. Future Work

Future work should focus on the following aspects: Firstly, developing more robust algorithms to effectively handle diverse and sparse data is crucial.

Additionally, improving the adaptability of these models to dynamic and real-time changing environments is essential.

Furthermore, a comprehensive integration of these advanced algorithms into existing systems, along with thorough testing and validation, is imperative to ensure their stability and reliability.

Finally, exploring interdisciplinary approaches that combine insights from software engineering and artificial intelligence can provide innovative solutions.

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